$\mathbb{Z}_q$ -supermagic labeling of  $C_m \Box C_n$ Dalibor Froncek<sup>1</sup> Joint work with Sylwia Cichacz<sup>2</sup> James McKeown<sup>3</sup> John McKeown<sup>4</sup> Michael McKeown<sup>5</sup>

 <sup>1</sup>) University of Minnesota Duluth dalibor@d.umn.edu
<sup>2</sup> AGH-University of Science and Technology, Kraków, Poland <sup>3</sup>) University of Miami
<sup>4</sup>) University of Minnesota Duluth and University of Miami
<sup>5</sup>) University of Minnesota Duluth

A graph G = (V, E) with |V| = p, |E| = q is called  $\Gamma$ -supermagic if there exists a bijection h from E to an Abelian group  $\Gamma$  of order q such that the weight w(x) of each vertex x is equal to the same element  $\mu$  of the group  $\Gamma$ , that is,

$$w(x) = \sum_{xy \in E} h(xy) = \mu$$

for all  $x \in V$  and some  $\mu \in \Gamma$ . The labeling is called a  $\Gamma$ -supermagic labeling or sometimes also  $\Gamma$ -vertex magic edge labeling.

We present two different methods of  $\mathbb{Z}_q\text{-supermagic labeling of Cartesian products of two cycles.$